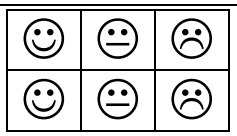
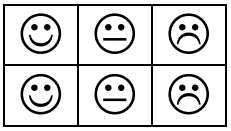
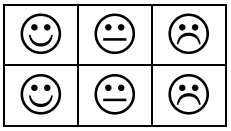
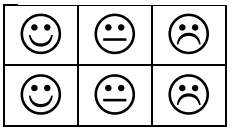
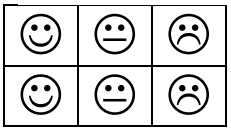
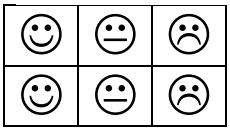
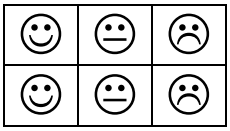
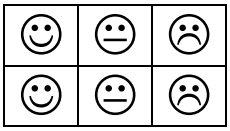
BRACKETS and EQUATIONS		
A: I can multiply terms		$8p \times 3p$, $(2a)^3$, $(-5x)^2$
B: I can multiply a bracket by a variable		$4(x+3)$, $x(x+2)$, $3p(2p-1)$, $-7(2r-3)$, $8z(2xy+3x)$,
C: I can expand brackets and simplify		$3(x+2)+4(x-1)$ $x(x+2)+5x-7$ $-a(2a+1)-3a^2+4a$
D: I can multiply out pairs of brackets		$(x+2)(x+5)$ $(3x+1)(x+2)$ $(2x+3)(x-1)$ $(4x-3)(3x-2)$
E: I can square brackets		$(x+2)^2$, $(x-3)^2$, $(2x+1)^2$
F: I can apply the above to more complex expressions		$5(x+2)(x+1)$ $2(x+3)^2$, $3(a-b)(2a+b)$, $(5+w)(2w-3)$, $(x+2)(x+1)^2$ $(x+2)(2x^2+3x+5)$ $(x-3)(3x^2+x-4)$
***G:** I can solve equations with brackets*		$(x+2)^2 = x^2+18$ $(x-1)^2 = (x+3)^2$
***H:** I can solve problems using algebra*		Form an equation to find the value of x.